## CORVETTE: Program Correctness, Verification, and Testing for Exascale

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<u>Domain</u> Hybrid Parallelism + Floating Point + Modularity

#### Advantages:

- Performance
- Scalability
- Abstraction
- Modularity

Disadvantages:

- non-deterministic bugs
- non-reproducible results
- redundant syncs
- redundant precision

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- 1. Dynamic analysis
- 2. Symbolic execution
- 3. New Algorithms

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- 2. Precimonious: FP precision tuning
- 3. ReproBLAS: reproducible num. algorithms

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- 4. LLVM Shadow Execution: dynamic analysis
- 5. Sync reduction: remove redundant syncs







# Challenges:

## Comparison with State-of-the-art

- Existing tools are slow: 10X-100X
- Handles either shared memory or message-passing
- Does not scale with number of nodes
- Cannot handle hybrid applications
  - Scientists run frameworks not mini-apps
  - Composition of multi-language (C, C++, Fortran), multiparadigm (GASnet, MPI, OpenMP, Pthreads) solvers/libraries (Scalapack, MKL, BoxLib)
- Precision tuning is conservative
- Reproducible algorithms do not scale to large number of nodes

# Finding Non-Deterministic Bugs

Case Study: Scalable Data Race Detection for Partitioned Global Address Space Programs

# Motivation

- High performance computing is rapidly evolving
  - Exascale: O(10<sup>6</sup>) nodes, O(10<sup>3</sup>) cores per node
  - Programs with side-effects through one-sided communication
  - Unstructured parallelism, dynamic tasking, shared memory
  - Non-blocking, highly asynchronous behavior
- Many correctness challenges
  - Hard to diagnose correctness and performance bugs (data races, atomicity violations, deadlocks)
  - Non-determinism leads to non-reproducible results
- Current tools offer limited support
  - Limited functionality (e.g. communication only DAMPI)
  - Do not scale (e.g. Intel ThreadChecker)
- We need tools for the "next" generation languages

# Design Requirements

- Efficiency and low overhead
  - Currently 10X-1000X
- Complete memory coverage
  - Currently either shared memory OR communication only
- Precise: report only the "bugs"
- Reproducible: identical behavior across executions
- Scalable in program size (LoCs), input size and concurrency

## Data Races in PGAS

- Thrille: data race detector for UPC using Active Testing
  - Communication only
  - Precise and reproducible
  - Scalable with cores due to distributed analysis
- Active Testing
  - Phase 1: Dynamic analysis to find potential concurrency bug patterns
    - Such as data races, deadlocks, atomicity violations
  - Phase 2: "Direct" testing (or model checking) based on the bug patterns obtained from phase 1
    - Confirm bugs
  - How do we achieve low overhead and scalability with input and cores for a complete analysis ?

# **Data Race Detection Implementation**

- For each load/store or communication operation Examine the address -> instrumentation overhead Record the address -> data management overhead
- For each synchronization operation Exchange information about all L/S and comms Analyze for conflicts
- Instrumentation overhead is reduced by
  - Hybrid Sampling (instruction + function level sampling)
  - Further pruning using program analysis
- Data management overhead is reduced with better data structures

# **Sampling Strategies**

- Instruction sampling sample every instruction with decaying probability
  - Introduces up to 40X slowdown for our benchmarks
- State-of-the-art function level sampling (LiteRace) does NOT work
  - (Marino et al. LiteRace: Effective Sampling for Lightweight Data-Race Detection. PLDI, 2009.)
- Novel hierarchical sampling approach provides best performance
  - Introduces up to 10x slowdown for our benchmarks
- Sampling needs to be supplemented with other pruning
  - Runtime alias based pruning (or other static analyses)

# **Overall Scalability**



## < 50% slowdown up to 2K cores

Commercial tools : 1000X slowdown on 16 cores

# **Bugs Found**

Panah	LoC	Run time (s)	Races	Overhead (%)				
Bench				NL	HA.5	IA	FA0	
guppie	271	19.070	2(2)+0(0)	54.9	54.2	53.7	DNF	74.9
psearch	803	0.697	3(1)+2(2)	2.48	10.8	666	8.01	6490
BT 3.3	9698	189.48	7(0)+3(1)	0.574	1.16	77.6	DNF	-
CG 2.4	1654	39.573	0(0)+1(1)	1.09	27.6	57.6	DNF	2579
EP 2.4	678	54.453	0(0)+0(0)	-0.618	0.805	2.09	4.74	111
FT 2.4	2289	62.663	2(2)+0(0)	0.601	30.1	121	DNF	2744
IS 2.4	1426	5.130	0(0)+0(0)	0.376	119	159	DNF	1201
LU 3.3	6348	155.997	0(0)+24(2)	-0.425	-	75.7	DNF	-
MG 2.4	2229	18.687	2(2)+4(0)	0.336	176	632	DNF	2020
SP 3.3	5740	247.937	10(0)+3(1)	0.160	0.861	29.1	DNF	-

Races: A(B) + C(D), where A represents the number of races detected by the original UPC-Thrille tool (NL) with B of them confirmed, and C represents the additional number of races detected with our extensions (HA.5) with D of them confirmed through phase 2

**KEY FOR VARIANTS** 

NL: no instrumentation on local accesses (SC'11) / H: hierarchical sampling / I: instruction-level sampling only / F: function-level sampling only

A: indicates the use of the persistent alias heuristic

# (0 or .5): Back-off factor for function-level sampling (0 means only first invocation of functions sampled) < 50% slowdown up to 2K cores

# Highlights

- Conference Publication
  - Our paper entitled "Scaling Data Race Detection for Partitioned Global Address Space Programs" was presented at the International Supercomputing Conference (ICS'13) in Oregon, June 2013.
- Software Release
  - Publicly released UPC-Thrille under the BSD license: <u>http://upc.lbl.gov/thrille.shtml</u>

# Finding Redundancy in Precision Case Study: Tuning Precision of Floating-point Programs

## **Floating-Point Precision Tuning**

- Reasoning about FP programs is difficult
  - Large variety of numerical programs
  - Most programmers are not experts in FP
  - Even experts on scientific computing may not be expert in FP



- Common practice
  - Use highest available precision
  - Disadvantages: more expensive in terms of running time, memory and energy consumption

## Precimonious

- "Parsimonious with precision"
- Common Practice: Use widest precision available (usually IEEE double or long double)
  - Pros: Easy, reliable
  - Cons: Maximizes time, memory, energy used
- Precimonious automatically decides which variables/operations can be in lower precision (single) and still get an acceptable answer

## Example (D.H. Bailey):

```
long double g(long double x) {
  int k, n = 5;
  long double t1 = x;
  long double d1 = 1.0L;
  for(k = 1; k <= n; k++) {
     . . .
  }
  return t1;
}
int main() {
  int i, n = 1000000;
  long double h, t1, t2, dppi;
  long double s1;
  . . .
  for(i = 1; i <= n; i++) {
    t2 = g(i * h);
    s1 = s1 + sqrt(h^{*}h + (t2 - t1)^{*}(t2 - t1));
    t1 = t2;
  }
  // final answer stored in variable s1
  return 0;
}
```

$$\sum_{k=0}^{n-1} \sqrt{h^2 + (g(x_{k+1}) - g(x_k))^2}$$

```
n-1
Example (D.H. Bailey):
                                                              \sqrt{h^2 + (g(x_{k+1}) - g(x_k))^2}
                                                         k=0
  long double g(long double x) {
                                                   double g(double x) {
    int k, n = 5;
                                                     int k, n = 5;
    long double t1 = x;
                                                     double t1 = x;
    long double d1 = 1.0L;
                                                     float d1 = 1.0f;
     for(k = 1; k <= n; k++) {
       . . .
                                                     }
    }
    return t1;
                                                     return t
                                                   }
  }
  int main() {
                                                   int main() {
                                                     int i, n = 1000000;
    int i, n = 1000000;
    long double h, t1, t2, dppi;
                                                     long double s1;
    long double s1;
                                                     . . .
     . . .
    for(i = 1; i <= n; i++) {
                                                       t2 = g(i * h);
      t2 = g(i * h);
      s1 = s1 + sqrt(h^{*}h + (t2 - t1)^{*}(t2 - t1));
                                                       t1 = t2:
      t1 = t2;
                                                     }
    }
    // final answer stored in variable s1
                                                     return 0:
    return 0;
                                                   }
  }
           Original Program
                                                                Tuned Program
```

**for**(**k** = 1; **k** <= **n**; **k**++) { Same answer as all long double 10% faster 3 more correct digits than double double h, t1, t2, dppi; **for(i = 1; i <= n; i++) {**  $s1 = s1 + sqrt(h^{*}h + (t2 - t1)^{*}(t2 - t1));$ // final answer stored in variable s1 25

## **Challenges for Precision Tuning**

- Searching efficiently over variable types and function implementations
  - Naïve approach  $\rightarrow$  exponential time
    - 19,683 configurations for arc length program (3<sup>9</sup>)
    - 11 hours 5 minutes
  - Global minimum vs. a local minimum
- Evaluating type configurations
  - Less precision does not always result in performance improvement
  - Run time, memory usage, energy consumption, etc.
- Determining accuracy constraints
  - How accurate must the final result be?
  - What error threshold to use?













# LCCSEARCH Algorithm based on Delta Debugging [Zeller et al]



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## **Experimental Setup**

- Benchmarks
  - o 8 GSL programs
  - 2 NAS Parallel Benchmarks: *ep* and *cg*
  - o 2 other numerical programs
- Test inputs
  - Inputs Class A for *ep* and *cg* programs
  - o 1000 random floating-point inputs for the rest
- Error thresholds
  - $\circ~$  Multiple error thresholds: 10<sup>-10</sup>, 10<sup>-8</sup>, 10<sup>-6</sup>, and 10<sup>-4</sup>
  - User can evaluate trade-off between accuracy and speedup

## Speedup for Various Error Thresholds



35

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Error threshold  $10^{-6} \rightarrow$  slightly larger speedup than error threshold  $10^{-4}$  (4.5% vs. 0.4% for rootnewt program)

## Speedup for Various Error Thresholds



# **Scalability Limitation**

Largest benchmark: 52 FP variables Configurations explored: 1,435 configurations Analysis running time: 1hr 26min

Too many runs for larger programs!

## Shadow Execution

- Motivation: Precimonious uses input after conversion to LLVM in order to modify, track changes in code: What else can we do with this infrastructure?
- Shadow Execution: Track execution dynamically
  - Compare to results computed in different precisions
  - Track sources of inaccuracy: "Blame analysis"
    - Reduce search space for Precimonious
    - Up to 5x fewer configurations to search

# Highlights

- Conference Publication
  - PRECIMONIOUS[11] was accepted for conference publication at the prestigious *International Conference for High Performance Computing, Networking, Storage and Analysis* (SC'13).
- Cindy Rubio Gonzalez will join UC Davis as an Assistant Professor in Fall 2014
- We have released PRECIMONIOUS under the BSD license. The tool is available at <u>https://github.com/corvette-</u> <u>berkeley/precimonious</u>.

# Reproducibility of Floating-point Programs

# Motivation for Reproducibility

- Reproducibility = bitwise identical results when running code more than once
- No longer guaranteed because of parallelism, nondeterminism, and nonassociativity of floating point addition/multiplication:

 $- fl(1 + (1e20 - 1e20)) = 1 \neq 0 = fl((1 + 1e20) - 1e20)$ 

- Demanded by many users, for debugging, correctness, contractual obligations
  - BOFs at recent Supercomputing conferences
  - Intel, Mathworks, other companies responding to demand with new (deterministic) products
- At large scale, nondeterminism unavoidable What to do?

# Reproducible BLAS: ReproBLAS

- Based on *Indexed Floating Point*: roundoff is deterministic, independent of summation order
  - Can choose same or higher accuracy than usual FP
  - Only one (nondeterministic) reduction required
- ReproBLAS for BLAS1 released (mBSD license)
  - bebop.cs.berkeley.edu/reproblas
  - Sequential and MPI versions
  - {s|d|c|z}{asum,sum,nrm2,dot}
  - Multithreaded, higher level BLAS under construction
- Integrated into CLAMR (DOE Mini-App)

## Performance Results DDOT for n=10<sup>6</sup> on Hopper



DDOT normalized timing breakdown ( $n = 10^6$ )

# Highlights

- Conference Publications
  - Our papers entitled "Fast Reproducible Floating-Point Summation" [7] and "Numerical Accuracy and Reproducibility at ExaScale" [8] were presented at the 21st IEEE Symposium on Computer Arithmetic in Austin, Texas. Our paper "Parallel Reproducible Summation" [9] has been recently accepted for publication in the IEEE Transactions on Computers, Special Section on Computer Arithmetic.
- Software Release:
  - ReproBLAS released at <u>http://bebop.cs.berkeley.edu/reproblas</u>

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